

# GEOSPATIAL OPERATIONAL INSIGHTS FOR NATIONAL LIBRARY BOARD

APPLYING THE HUFF'S MODEL AND RFM ANALYSIS IN SHINY R

TEAM QUI VIVRA VERRA
LIU BOWEI, TEO HUI MIN, PONG CHONG XIN

#### PROJECT STAKEHOLDERS



Supervisor Prof. KAM Tin Seong

Associate Professor of Information Systems (Practice)



**Sponsor** National Library Board Singapore

# THE TEAM - QUI VIVRA VERRA



LIU Bowei
School of Information Systems

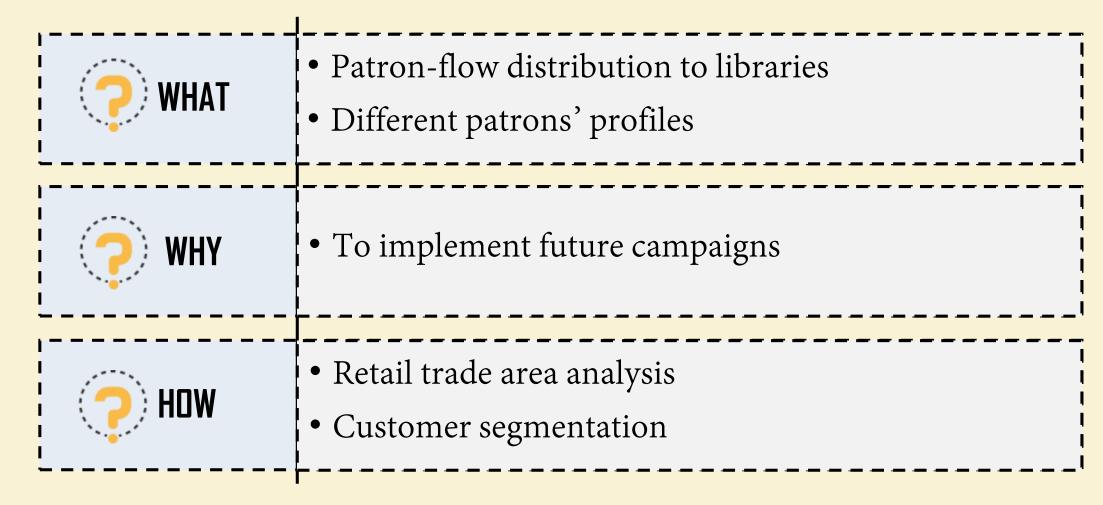


PONG Chong Xin School of Economics

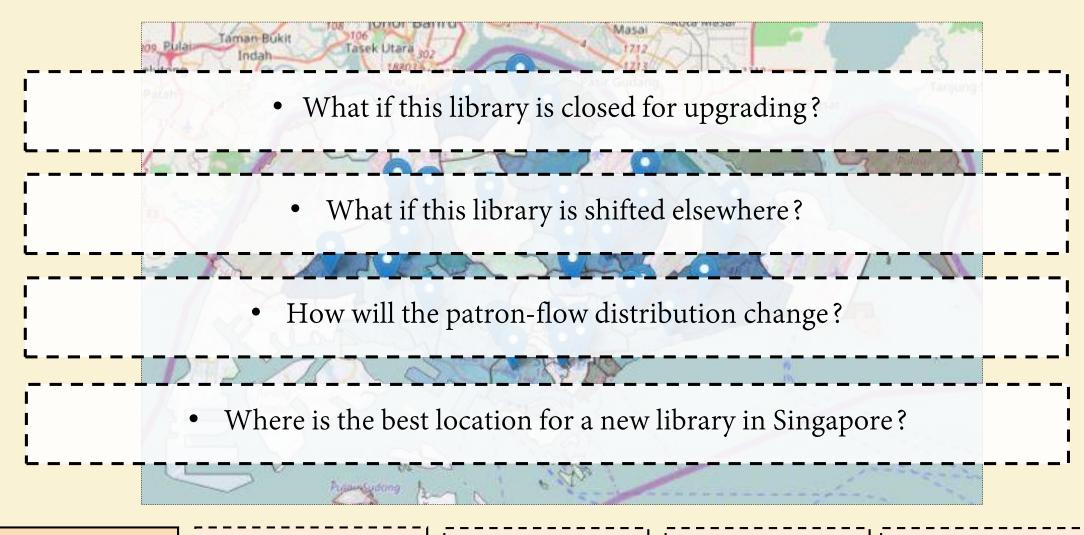


TEO Hui Min School of Information Systems

# **OVERVIEW**



#### INTRODUCTION



### MOTIVATION

Campaigns and policies are to be supported by scientific methods



and an inventive spirit Singapore's public libraries have vaulted forward Ambitious **\*** Meets Aud

NLB has experimented with many different library prototypes.



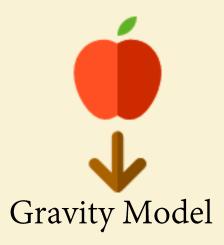
You can borrow popular movie titles from library@esplanade

# LITERATURE REVIEW - HUFF'S MODEL



Push Factor

Distance Decay

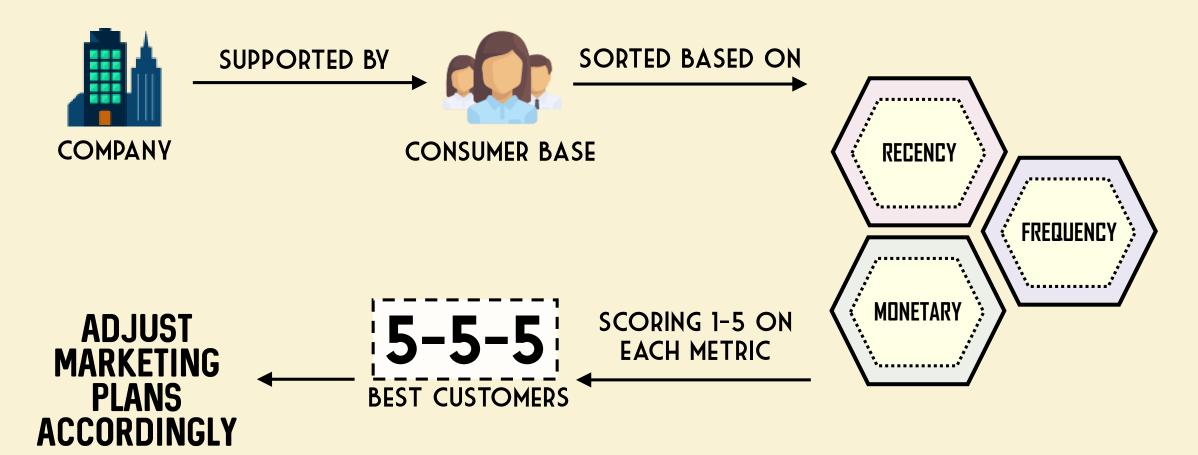




Pull Factor

Destination Attractiveness

### LITERATURE REVIEW - RFM ANALYSIS





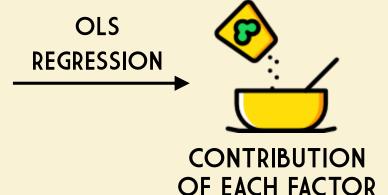
Push Factor



Pull Factor

Distance Decay

Destination Attractiveness





Distance from subzone centroid to library



Collection size



No. of MRT stations in 1km



No. of tuition centres in 1km



No. of shopping malls in 1km

Let the general form of the Huff's Model be:

$$P_{ij} = \frac{(\sum_{h=1}^{H} A_{hj}^{\alpha_h}) D_{ij}^{\beta}}{\sum_{j=1}^{n} (\sum_{h=1}^{H} A_{hj}^{\alpha_h}) D_{ij}^{\beta}}$$

 $P_{ii}$  = probability of a patron residing at planning area i visiting library j.

 $A_{hi}^{\alpha_h}$  = a measure of the h-th characteristic that reflects the attractiveness of library j.

 $D_{i,i}^{\beta}$  = distance from centroid of subzone *i* to library *j*.

 $\alpha$  = a parameter for the sensitivity of  $P_{ij}$  associated with an attractiveness variable h.

 $\beta$  = a parameter for the sensitivity of  $P_{ij}$  associated with the distance

n = total number of libraries

We start by taking the logarithm of the general form:

$$\log P_{ij} = \sum_{h=1}^{H} \alpha_h \, \log A_{hj} + \beta \log D_{ij} - \log \sum_{j=1}^{n} (\sum_{h=1}^{H} A_{hj}^{\alpha_h}) D_{ij}^{\beta}$$

Summing both sides over j (= 1, 2, ..., n), and dividing both sides by n, we have:

$$\frac{1}{n} \sum_{j=1}^{n} \log P_{ij} = \sum_{h=1}^{H} \alpha_h \left( \frac{1}{n} \sum_{j=1}^{n} \log A_{hj} \right) + \frac{\beta}{n} \sum_{j=1}^{n} \log D_{ij} - \log \sum_{j=1}^{n} \left( \sum_{h=1}^{H} A_{hj}^{\alpha_h} \right) D_{ij}^{\beta}$$

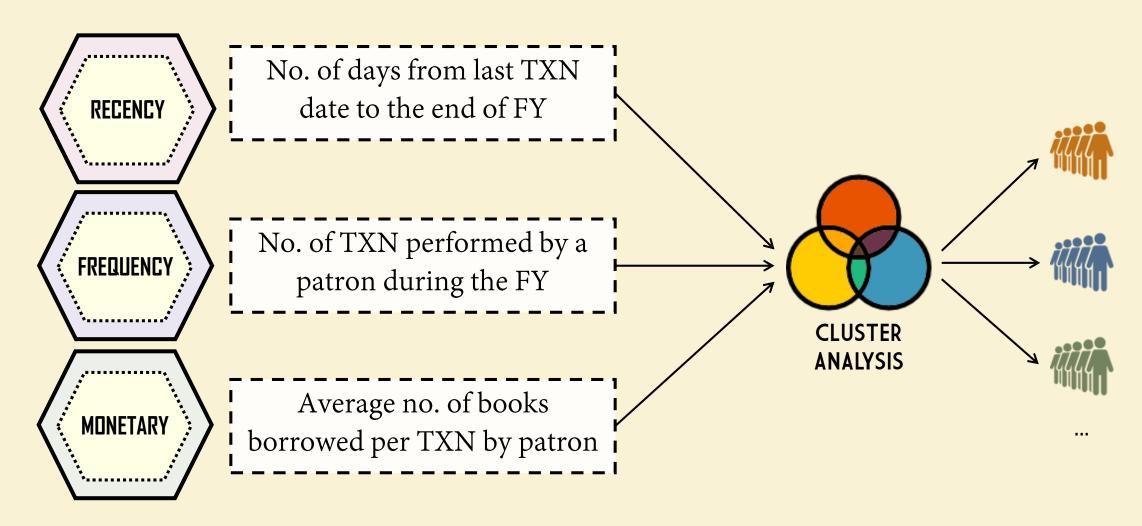
Let  $\widetilde{P_{ij}}$ ,  $\widetilde{A_{hj}}$ , and  $\widetilde{D_{ij}}$  be the respective geometric means for  $P_{ij}$ ,  $A_{hj}$ , and  $D_{ij}$ . We can write the equation as:

$$\log \left(\frac{P_{ij}}{\widetilde{P_{ij}}}\right) = \sum_{h=1}^{H} \alpha_h \log \left(\frac{A_{hj}}{\widetilde{A_{hj}}}\right) + \beta \log \left(\frac{D_{ij}}{\widetilde{D_{ij}}}\right)$$

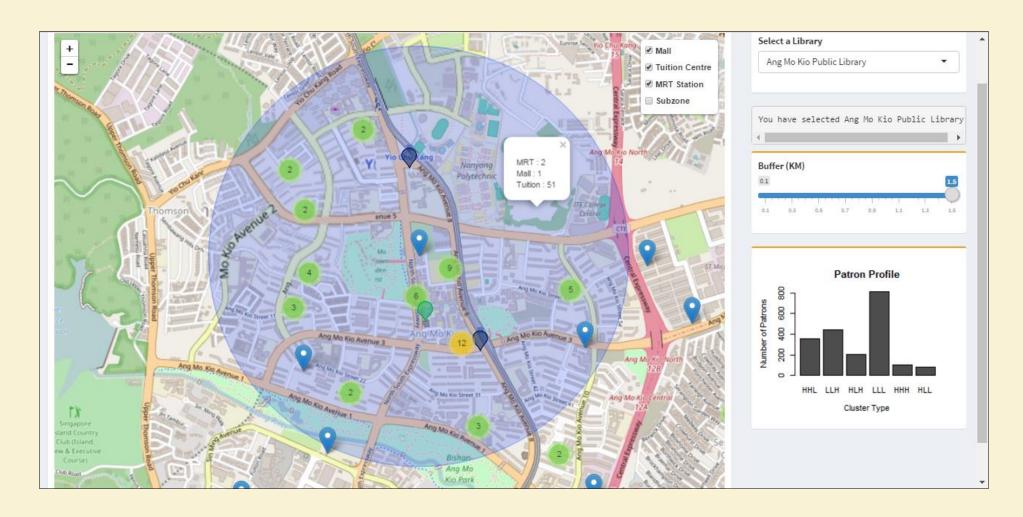
Therefore, we can estimate the probability of a patron residing at subzone *i* visiting library *j* using the equation, with the estimated parameters:

$$\widehat{P_{ij}} = \frac{(\sum_{h=1}^{H} A_{hj}^{\hat{\alpha}_{h}}) D_{ij}^{\hat{\beta}}}{\sum_{j=1}^{n} (\sum_{h=1}^{H} A_{hj}^{\hat{\alpha}_{h}}) D_{ij}^{\hat{\beta}}}$$

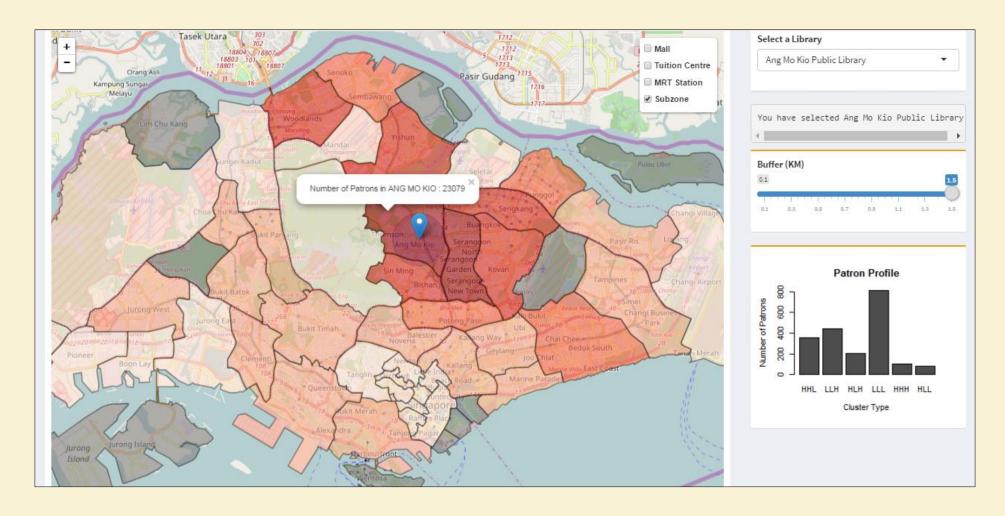
### METHODOLOGY - RFM ANALYSIS



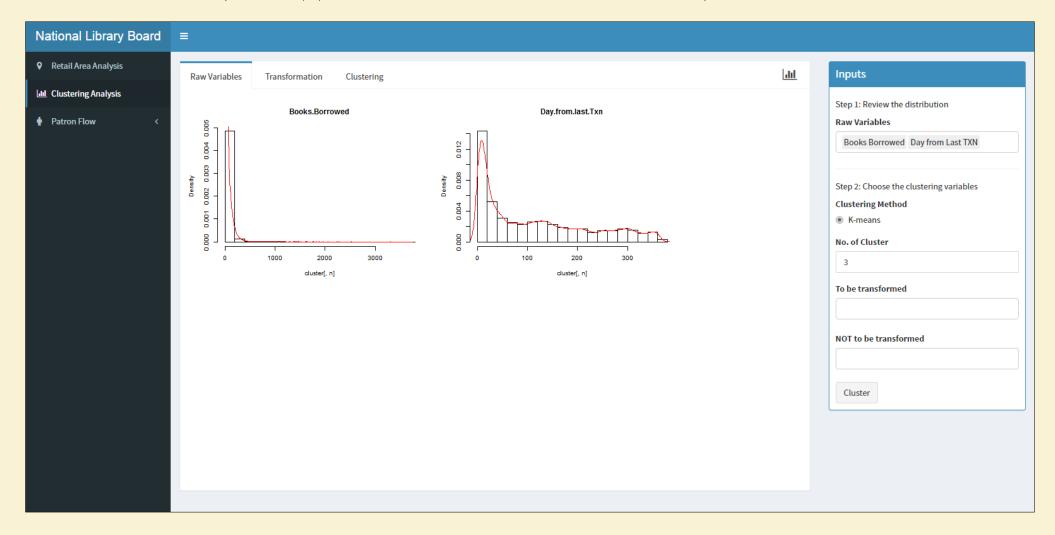
### ADJUSTABLE BUFFER FOR AMENITIES



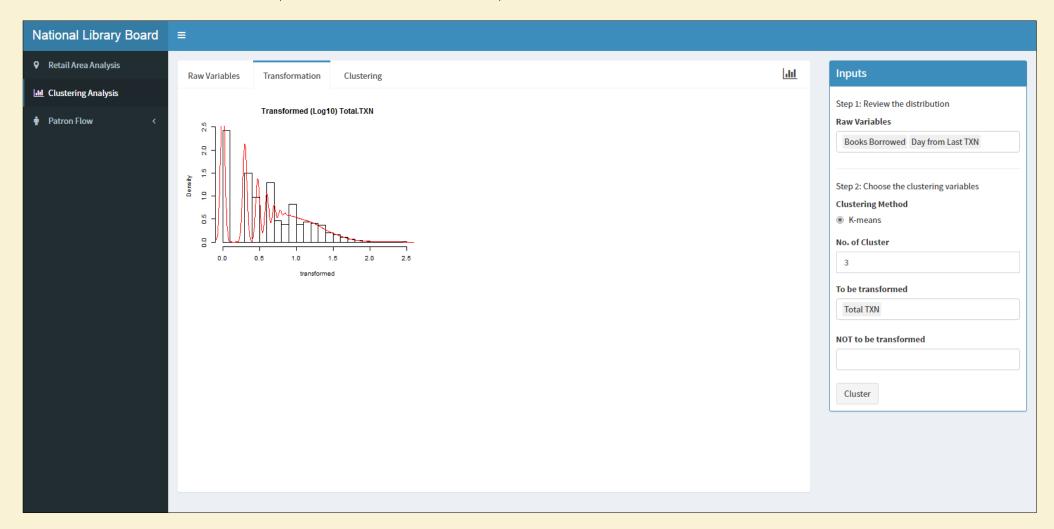
#### PATRON FLOW CHOROPLETH MAP



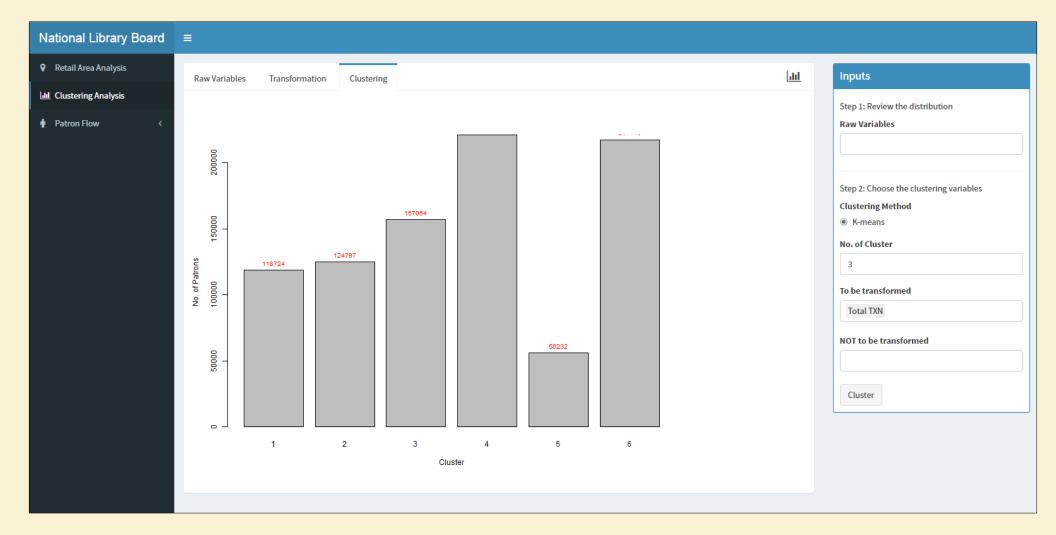
#### RFM - REVIEW DISTRIBUTION



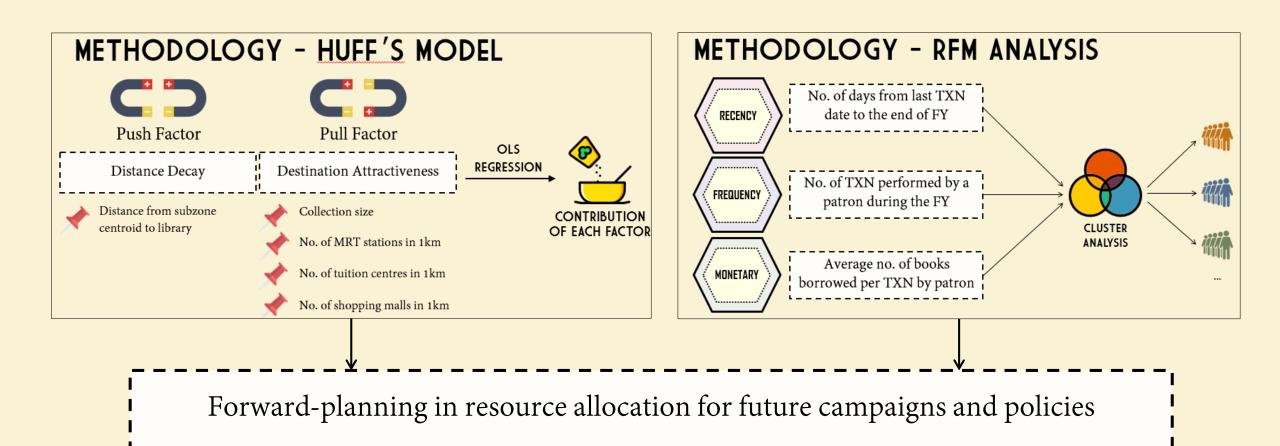
#### RFM - TRANSFORM VARIABLE



#### RFM - PATRON SEGMENTATION



#### **IMPLICATIONS**



INTRODUCTION

LITERATURE REVIEW

**METHODOLOGY** 

**VISUALIZATIONS** 

**IMPLICATIONS** 

# QUESTIONS ANSWERS